

MULTIMEDIA



UNIVERSITY

STUDENT ID NO

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MULTIMEDIA UNIVERSITY

FINAL EXAMINATION

TRIMESTER 2, 2015/2016

BEF3014 – ECONOMETRICS MODELLING & FORECASTING (All sections / Groups)

2 MARCH 2016
2.30 p.m. – 4.30 p.m.
(2 Hours)

INSTRUCTIONS TO STUDENTS

1. This question paper consists of **FOUR (4)** questions in **FIVE (5)** printed pages.
2. Answer **ALL** questions in the answer booklet provided.
3. Show all calculation workings in the answer booklet.
4. Marks are shown at the end of each question.

Question 1

- (a) Explain the following error measures:
- (i) In-sample (2 marks)
 - (ii) Out-of-sample (2 marks)
- (b) Suppose the following is the monthly total sales data for McDonald Company in year 2013.

| Month | Sales (in RM thousand) |
|-------|------------------------|
| Jan | 23.9 |
| Feb | 15.6 |
| Mar | 17.5 |
| Apr | 22.9 |
| May | 12.9 |
| Jun | 32.6 |
| Jul | 14.5 |
| Aug | 33.8 |
| Sep | 26.8 |
| Oct | 17.9 |
| Nov | 23.9 |
| Dec | 36.8 |

- (i) Use four-term moving average to generate one-step-ahead forecasts for May until December 2013. (4 marks)
- (ii) Based on the data above, forecast the McDonald Company's total sales from May to December 2013 using the simple exponential smoothing method (assume $\alpha = 0.33$). (8 marks)
- (iii) Compute MAE and RMSE for each forecasting method in part (i) and (ii). (6 marks)
- (iv) Based on part (iii), suggest and explain which forecasting method performs better. (3 marks)

[Total marks: 25 marks]

Continued...

Question 2

Consider the following aggregated demand function for residential housing in Serdang for the period 1991 - 2014:

$$\hat{Y}_t = 34.89 - 4.56 X_{1t} + 12.78 X_{2t} + 2.25 X_{3t} + 28.94 X_{4t}$$

$$(0.0156) \quad (0.0344) \quad (0.0012) \quad (0.0892) \quad (0.1529)$$

$$R\text{-squared} = 0.9747 \quad F\text{-statistic} = 340.89 \quad (0.0001)$$

where Y = Residential housing sold

X_1 = Price of residential house in Serdang (RM in thousands)

X_2 = Annual personal income (RM in thousands)

X_3 = Interest rate (in percentage)

X_4 = Employed civilian labor force (thousands)

The values in the parentheses are the probability values.

- (a) Perform the individual test for each independent variable and discuss its significance in explaining the residential housing sold at 5% significance level. (8 marks)
- (b) Perform the validity test of the overall model at 1% significance level. (4 marks)
- (c) Given that $X_1 = 35.4$, $X_2 = 5.5$, $X_3 = 4.5$, and $X_4 = 4.7$ in 2015, generate the forecast values of Y in 2015. (3 marks)
- (d) From the forecasted Y in part (c), create a 90% prediction interval for 2015. Assume the estimated standard error is 0.246. (4 marks)
- (e) Based on part (d), if the actual residential housing sold is 38, does it surprise you? (3 marks)
- (f) As to verify the reliability of the regression, discuss **THREE (3)** necessary diagnostic checking on the residual. (3 marks)

[Total marks: 25 marks]

Question 3

- (a) Explain the following tests:
 - (i) Unit root (3 marks)
 - (ii) Cointegration (3 marks)

Continued...

- (b) Consider the following unit root test results for the number of airline passengers (PAX), income of the passengers (INCOME), the price of the airline tickets (PRICE), and the trading activities between countries (TRADE) with trend and intercept:

| Variable | Level | First Difference |
|----------|---------------------|---------------------|
| PAX | -3.0583 (0.1300) | -5.5293 (0.0003) |
| INCOME | -2.3134 (0.4174) | -4.6732 (0.0029) |
| PRICE | -2.0576 (0.5532) | -5.5862 (0.0002) |
| TRADE | -5.0012 (0.0012) | -4.9587 (0.0014) |

The values in parentheses are the probability values of the t-statistics.

- (i) Identify the stationary order for each of the variable . (4 marks)
- (ii) Do you able to proceed to the cointegration test using all variables such as PAX, INCOME, PRICE, and TRADE? Explain. (6 marks)
- (iii) Below is the EViews output of Johansen Cointegration test:

Date: 12/01/15 Time: 12:36
 Sample (adjusted): 1964 2002
 Included observations: 39 after adjustments
 Trend assumption: Linear deterministic trend
 Series: PAX INCOME PRICE
 Lags interval (in first differences): 1 to 2

Unrestricted Cointegration Rank Test (Trace)

| Hypothesized No. of CE(s) | Eigenvalue | Trace Statistic | 0.05 Critical Value | Prob.** |
|------------------------------|------------|--------------------|------------------------|---------|
| None | 0.162007 | 10.89843 | 29.79707 | 0.9636 |
| At most 1 | 0.083991 | 4.005335 | 15.49471 | 0.9031 |
| At most 2 | 0.014860 | 0.583881 | 3.841466 | 0.4448 |

Trace test indicates no cointegration at the 0.05 level

* denotes rejection of the hypothesis at the 0.05 level

**MacKinnon-Haug-Michelis (1999) p-values

Continued...

Unrestricted Cointegration Rank Test (Maximum Eigenvalue)

| Hypothesized No. of CE(s) | Eigenvalue | Max-Eigen Statistic | 0.05 Critical Value | Prob.** |
|------------------------------|------------|------------------------|------------------------|---------|
| None | 0.162007 | 6.893090 | 21.13162 | 0.9580 |
| At most 1 | 0.083991 | 3.421454 | 14.26460 | 0.9148 |
| At most 2 | 0.014860 | 0.583881 | 3.841466 | 0.4448 |

Max-eigenvalue test indicates no cointegration at the 0.05 level

* denotes rejection of the hypothesis at the 0.05 level

**MacKinnon-Haug-Michelis (1999) p-values

Is there any cointegration vector between PAX, INCOME, and PRICE?
Suggest an appropriate model to regress the relationship between PAX,
INCOME, and PRICE. Explain. (6 marks)

- (iv) Consider the following EViews output of Granger-Causality test:

Pairwise Granger Causality Tests

Date: 12/01/15 Time: 15:11

Sample: 1961 2002

Lags: 2

| Null Hypothesis: | Obs | F-Statistic | Prob. |
|--|-----|-------------|--------|
| INCOME does not Granger Cause PAX | 40 | 0.49431 | 0.6142 |
| PAX does not Granger Cause INCOME | | 4.90523 | 0.0132 |
| PRICE does not Granger Cause PAX | 40 | 1.36675 | 0.2682 |
| PAX does not Granger Cause PRICE | | 1.11484 | 0.3393 |
| PRICE does not Granger Cause INCOME | 40 | 4.45560 | 0.0189 |
| INCOME does not Granger Cause PRICE | | 0.96996 | 0.3891 |

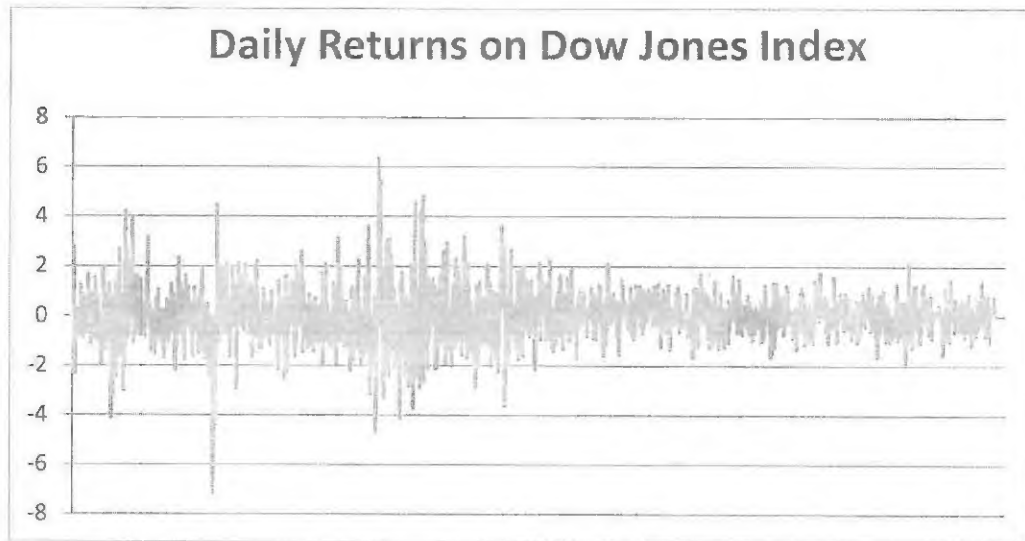
Identify whether there is any Granger-Causality effect between PAX,
INCOME, and PRICE? (3 marks)

[Total marks: 25 marks]

Continued...

Question 4

- (a) Below is the plot of daily returns on Dow Jones Index from 2007 to 2010:



- (i) What did you observed from the plot above? (4 marks)
- (ii) Suggest **TWO (2)** appropriate models to capture the volatility of the daily returns for above index. (4 marks)
- (b) Consider the following model:

$$Y_t = \beta_1 + \beta_2 X_{2t} + \dots + \beta_k X_{kt} + u_t, \quad u_t \sim N(0, h_t)$$

where $h_t = \alpha_0 + \alpha_1 u_{t-1}^2 + \alpha_2 u_{t-2}^2$

- (i) Explain the procedures and hypotheses of testing the above model with relevant steps. (9 marks)
- (ii) Discuss **TWO (2)** problems that may associate with above model. (4 marks)
- (iii) Suggest and specify an appropriate model that may overcome the problems as stated in part (ii). (4 marks)

[Total marks: 25 marks]

End of Paper

Formula sheet

$$\text{Mean Absolute Deviation (MAD)} = \frac{\sum |d_i|}{n}$$

$$\text{Variance (S}^2\text{)} = \frac{\sum d_i^2}{(n-1)}$$

$$\text{Standard Deviation (S)} = \sqrt{S^2}$$

$$\text{Mean Absolute Error (MAE)} = \frac{1}{n} \sum_{i=1}^n |Y_{t+i} - F_{t+i}|$$

$$\text{Mean Square Error (MSE)} = \frac{1}{n} \sum_{i=1}^n (Y_{t+i} - F_{t+i})^2$$

$$\text{Root Mean Square Error (RMSE)} = \sqrt{MSE}$$

Moving average (MA)

$$MA(t|K) = \frac{Y_t + Y_{t-1} + \dots + Y_{t-K+1}}{K}$$

Simple exponential smoothing (SES)

$$F_{t+1} = F_t + \alpha(Y_t - F_t)$$

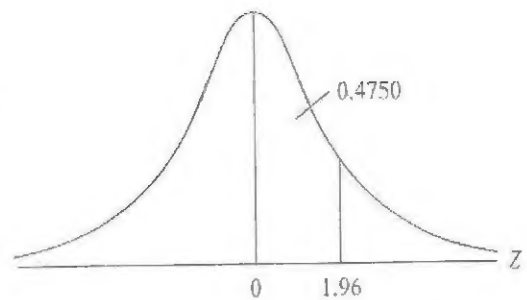
Starting value: $F_{t+1} = Y_t$

TABLE D.1
Areas Under the
Standardized Normal
Distribution

Example

$$\Pr(0 \leq Z \leq 1.96) = 0.4750$$

$$\Pr(Z \geq 1.96) = 0.5 - 0.4750 = 0.025$$



| Z | .00 | .01 | .02 | .03 | .04 | .05 | .06 | .07 | .08 | .09 |
|-----|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|
| 0.0 | .0000 | .0040 | .0080 | .0120 | .0160 | .0199 | .0239 | .0279 | .0319 | .0359 |
| 0.1 | .0398 | .0438 | .0478 | .0517 | .0557 | .0596 | .0636 | .0675 | .0714 | .0753 |
| 0.2 | .0793 | .0832 | .0871 | .0910 | .0948 | .0987 | .1026 | .1064 | .1103 | .1141 |
| 0.3 | .1179 | .1217 | .1255 | .1293 | .1331 | .1368 | .1406 | .1443 | .1480 | .1517 |
| 0.4 | .1554 | .1591 | .1628 | .1664 | .1700 | .1736 | .1772 | .1808 | .1844 | .1879 |
| 0.5 | .1915 | .1950 | .1985 | .2019 | .2054 | .2088 | .2123 | .2157 | .2190 | .2224 |
| 0.6 | .2257 | .2291 | .2324 | .2357 | .2389 | .2422 | .2454 | .2486 | .2517 | .2549 |
| 0.7 | .2580 | .2611 | .2642 | .2673 | .2704 | .2734 | .2764 | .2794 | .2823 | .2852 |
| 0.8 | .2881 | .2910 | .2939 | .2967 | .2995 | .3023 | .3051 | .3078 | .3106 | .3133 |
| 0.9 | .3159 | .3186 | .3212 | .3238 | .3264 | .3289 | .3315 | .3340 | .3365 | .3389 |
| 1.0 | .3413 | .3438 | .3461 | .3485 | .3508 | .3531 | .3554 | .3577 | .3599 | .3621 |
| 1.1 | .3643 | .3665 | .3686 | .3708 | .3729 | .3749 | .3770 | .3790 | .3810 | .3830 |
| 1.2 | .3849 | .3869 | .3888 | .3907 | .3925 | .3944 | .3962 | .3980 | .3997 | .4015 |
| 1.3 | .4032 | .4049 | .4066 | .4082 | .4099 | .4115 | .4131 | .4147 | .4162 | .4177 |
| 1.4 | .4192 | .4207 | .4222 | .4236 | .4251 | .4265 | .4279 | .4292 | .4306 | .4319 |
| 1.5 | .4332 | .4345 | .4357 | .4370 | .4382 | .4394 | .4406 | .4418 | .4429 | .4441 |
| 1.6 | .4452 | .4463 | .4474 | .4484 | .4495 | .4505 | .4515 | .4525 | .4535 | .4545 |
| 1.7 | .4454 | .4564 | .4573 | .4582 | .4591 | .4599 | .4608 | .4616 | .4625 | .4633 |
| 1.8 | .4641 | .4649 | .4656 | .4664 | .4671 | .4678 | .4686 | .4693 | .4699 | .4706 |
| 1.9 | .4713 | .4719 | .4726 | .4732 | .4738 | .4744 | .4750 | .4756 | .4761 | .4767 |
| 2.0 | .4772 | .4778 | .4783 | .4788 | .4793 | .4798 | .4803 | .4808 | .4812 | .4817 |
| 2.1 | .4821 | .4826 | .4830 | .4834 | .4838 | .4842 | .4846 | .4850 | .4854 | .4857 |
| 2.2 | .4861 | .4864 | .4868 | .4871 | .4875 | .4878 | .4881 | .4884 | .4887 | .4890 |
| 2.3 | .4893 | .4896 | .4898 | .4901 | .4904 | .4906 | .4909 | .4911 | .4913 | .4916 |
| 2.4 | .4918 | .4920 | .4922 | .4925 | .4927 | .4929 | .4931 | .4932 | .4934 | .4936 |
| 2.5 | .4938 | .4940 | .4941 | .4943 | .4945 | .4946 | .4948 | .4949 | .4951 | .4952 |
| 2.6 | .4953 | .4955 | .4956 | .4957 | .4959 | .4960 | .4961 | .4962 | .4963 | .4964 |
| 2.7 | .4965 | .4966 | .4967 | .4968 | .4969 | .4970 | .4971 | .4972 | .4973 | .4974 |
| 2.8 | .4974 | .4975 | .4976 | .4977 | .4977 | .4978 | .4979 | .4979 | .4980 | .4981 |
| 2.9 | .4981 | .4982 | .4982 | .4983 | .4984 | .4984 | .4985 | .4985 | .4986 | .4986 |
| 3.0 | .4987 | .4987 | .4987 | .4988 | .4988 | .4989 | .4989 | .4989 | .4990 | .4990 |

Note: This table gives the area in the right-hand tail of the distribution (i.e., $Z \geq 0$). But since the normal distribution is symmetrical about $Z = 0$, the area in the left-hand tail is the same as the area in the corresponding right-hand tail. For example, $\Pr(-1.96 \leq Z \leq 0) = 0.4750$. Therefore, $\Pr(-1.96 \leq Z \leq 1.96) = 2(0.4750) = 0.95$.

TABLE D.2
Percentage Points of
the *t* Distribution

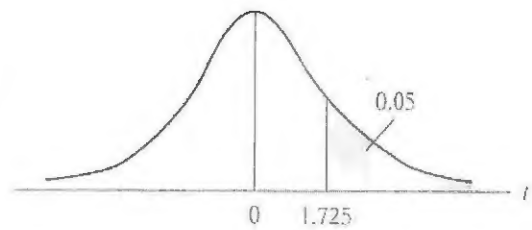
Source: From E. S. Pearson and
H. O. Hartley, eds., *Biometrika*
Tables for Statisticians, vol. 1,
3d ed., table 12, Cambridge
University Press, New York,
1966. Reproduced by
permission of the editors and
trustees of *Biometrika*.

Example

$$\Pr(t > 2.086) = 0.025$$

$$\Pr(t > 1.725) = 0.05 \quad \text{for } df = 20$$

$$\Pr(|t| > 1.725) = 0.10$$



| Pr df | 0.25 0.50 | 0.10 0.20 | 0.05 0.10 | 0.025 0.05 | 0.01 0.02 | 0.005 0.010 | 0.001 0.002 |
|----------|--------------|--------------|--------------|---------------|--------------|----------------|----------------|
| 1 | 1.000 | 3.078 | 6.314 | 12.706 | 31.821 | 63.657 | 318.31 |
| 2 | 0.816 | 1.886 | 2.920 | 4.303 | 6.965 | 9.925 | 22.327 |
| 3 | 0.765 | 1.638 | 2.353 | 3.182 | 4.541 | 5.841 | 10.214 |
| 4 | 0.741 | 1.533 | 2.132 | 2.776 | 3.747 | 4.604 | 7.173 |
| 5 | 0.727 | 1.476 | 2.015 | 2.571 | 3.365 | 4.032 | 5.893 |
| 6 | 0.718 | 1.440 | 1.943 | 2.447 | 3.143 | 3.707 | 5.208 |
| 7 | 0.711 | 1.415 | 1.895 | 2.365 | 2.998 | 3.499 | 4.785 |
| 8 | 0.706 | 1.397 | 1.860 | 2.306 | 2.896 | 3.355 | 4.501 |
| 9 | 0.703 | 1.383 | 1.833 | 2.262 | 2.821 | 3.250 | 4.297 |
| 10 | 0.700 | 1.372 | 1.812 | 2.228 | 2.764 | 3.169 | 4.144 |
| 11 | 0.697 | 1.363 | 1.796 | 2.201 | 2.718 | 3.106 | 4.025 |
| 12 | 0.695 | 1.356 | 1.782 | 2.179 | 2.681 | 3.055 | 3.930 |
| 13 | 0.694 | 1.350 | 1.771 | 2.160 | 2.650 | 3.012 | 3.852 |
| 14 | 0.692 | 1.345 | 1.761 | 2.145 | 2.624 | 2.977 | 3.787 |
| 15 | 0.691 | 1.341 | 1.753 | 2.131 | 2.602 | 2.947 | 3.733 |
| 16 | 0.690 | 1.337 | 1.746 | 2.120 | 2.583 | 2.921 | 3.686 |
| 17 | 0.689 | 1.333 | 1.740 | 2.110 | 2.567 | 2.898 | 3.646 |
| 18 | 0.688 | 1.330 | 1.734 | 2.101 | 2.552 | 2.878 | 3.610 |
| 19 | 0.688 | 1.328 | 1.729 | 2.093 | 2.539 | 2.861 | 3.579 |
| 20 | 0.687 | 1.325 | 1.725 | 2.086 | 2.528 | 2.845 | 3.552 |
| 21 | 0.686 | 1.323 | 1.721 | 2.080 | 2.518 | 2.831 | 3.527 |
| 22 | 0.686 | 1.321 | 1.717 | 2.074 | 2.508 | 2.819 | 3.505 |
| 23 | 0.685 | 1.319 | 1.714 | 2.069 | 2.500 | 2.807 | 3.485 |
| 24 | 0.685 | 1.318 | 1.711 | 2.064 | 2.492 | 2.797 | 3.467 |
| 25 | 0.684 | 1.316 | 1.708 | 2.060 | 2.485 | 2.787 | 3.450 |
| 26 | 0.684 | 1.315 | 1.706 | 2.056 | 2.479 | 2.779 | 3.435 |
| 27 | 0.684 | 1.314 | 1.703 | 2.052 | 2.473 | 2.771 | 3.421 |
| 28 | 0.683 | 1.313 | 1.701 | 2.048 | 2.467 | 2.763 | 3.408 |
| 29 | 0.683 | 1.311 | 1.699 | 2.045 | 2.462 | 2.756 | 3.396 |
| 30 | 0.683 | 1.310 | 1.697 | 2.042 | 2.457 | 2.750 | 3.385 |
| 40 | 0.681 | 1.303 | 1.684 | 2.021 | 2.423 | 2.704 | 3.307 |
| 60 | 0.679 | 1.296 | 1.671 | 2.000 | 2.390 | 2.660 | 3.232 |
| 120 | 0.677 | 1.289 | 1.658 | 1.980 | 2.358 | 2.617 | 3.160 |
| ∞ | 0.674 | 1.282 | 1.645 | 1.960 | 2.326 | 2.576 | 3.090 |

Note: The smaller probability shown at the head of each column is the area in one tail; the larger probability is the area in both tails.